

SIDDHARTH INSTITUTE OF ENGINEERING & TECHNOLOGY:: PUTTUR (AUTONOMOUS) Siddharth Nagar, Narayanavanam Road – 517583 <u>OUESTION BANK (DESCRIPTIVE)</u>

Subject with Code: Structural Dynamics (20CE1006)

Course & Branch: M.Tech - SE

Regulation: R20

Year & Sem: I-M.Tech & II-Sem

UNIT –I INTRODUCTION TO STRUCTURAL DYNAMICS

| 1 | a) Explain about lumped mass and Continuous mass system. | [L2][CO1] | [6M] |
|----|------------------------------------------------------------------------------------------------------|-----------|-------|
| | b) Derive the Equation of motion for undamped single degree of freedom system with forced vibration. | [L2][CO2] | [6M] |
| | a) Derive the equation of motion for given system | [L3][CO1] | [6M] |
| 2 | | | |
| | b) Derive the equation of motion for given system | [L3][CO1] | [6M] |
| | $\overbrace{\ }^{F}$ | | |
| 3 | a) Derive the equation of motion for damped single degree of freedom system with forced vibration. | [L3][CO2] | [6M] |
| | b) Briefly explain oscillatory motion. | [L1][CO1] | [6M] |
| | Explain | | |
| 4 | a) Degree of freedom system | [L2][CO1] | [3M] |
| - | b) Harmonic Excitation | [L2][CO1] | [3M] |
| | c) Simple harmonic motion | [L2][CO1] | [3M] |
| | d) D'Alemberts principle | [L2][CO1] | [3M] |
| 5 | Briefly explain fundamental objectives of dynamic analysis with example | [L2][CO1] | [12M] |
| 6 | a) What is mathematical model with specific reference to structural dynamics? | | [6M] |
| | b) Describe various method of discretization analysis of dynamic problem. | [L2][CO1] | [6M] |
| 7 | Derive the Equation of motion for damped single degree of freedom system with free vibration. | [L3][CO1] | [12M] |
| 8 | Explain about the D'Alemberts principle with example. | [L2][CO1] | [12M] |
| 9 | a) Derive the expression for time period of simple harmonic motion | [L3][CO1] | [6M] |
| | b) Derive the Equation of motion for undamped single degree of freedom system with free vibration | [L3][CO2] | [6M] |
| 10 | Explain different types of vibration problems and derive their equation of motion. | [L2][CO1] | [12M] |



UNIT –II SINGLE DEGREE OF FREEDOM SYSTEM

| | | [I_3][CO2] | [12M] |
|----|--------------------------------------------------------------------------------------------------------------------------------------------------------|------------------------|-------|
| 1 | Derive the solution for undamped single degree of freedom system with free vibration | [L3][C02] | |
| 2 | Derive the solution for damped single degree of freedom system with free vibration | [L3][CO2] | [12M] |
| 3 | Derive the solution for undamped single degree of freedom system with forced vibration | [L3][CO2] | [12M] |
| 4 | Derive the expression for logarithmic decrement for damped free vibration of SDOF for a) Two successive cycles b) Two cycles of N cycle apart | [L3][CO2] | [12M] |
| 5 | Derive expression for Duhamel integral. | [L3][CO3] | [12M] |
| 6 | Determine the response of SDOF system subjected to rectangular pulse load. | [L3][CO3] | [12M] |
| 7 | Determine the response of SDOF system subjected to triangle pulse load. F0 Forced Free vibration Td Free vibration | [L3][CO3] | [12M] |
| 8 | Derive the amplitude of the given problem when time is 4t. F ₀ t 2t 3t 4t | [L3][CO3] | [12M] |
| 9 | Derive the equation for DMF for undamped single degree of freedom system with forced vibration. | [L3][CO3] | [12M] |
| 10 | Derive the formula for Damping ratio & Frequency ratio for undamped single degree of freedomsystem with forced vibration. | [L3][CO3] | [12M] |



UNIT –III MULTI DEGREE OF FREEDOM SYSTEM

| 1 | Derive the equation of motion for two degree | of freedom sys | stem in matrix form | [L3][CO4] | [12M] |
|---|-------------------------------------------------|-----------------|---------------------|-----------|-------|
| | and also derive thesolution for the equation. | | | | |
| 2 | Derive the equation of motion for three degree | e of freedom sy | ystem in matrix | [L3][CO4] | [12M] |
| | form and also derive the solution for the equat | tion. | | | |
| 3 | Briefly explain orthogonal properties of norm | al modes. | | [L2][CO4] | [12M] |
| 4 | Draw the mode shapes for given problem | (000 W.C | | [L1][CO4] | [12M] |
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| 5 | Draw the mode shapes for given problem. | | | [L1][CO4] | [12M] |
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| 6 | Drow the mode shares for given problem | | | | [10] |
| 0 | Draw the mode shapes for given problem. | | | | |
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UNIT –IV CONTINUOUS SYSTEM

| 1 | Derive the equation of motion for beam subjected to uniformly distributed load. | [L3][CO5] | [12M] | |
|----|------------------------------------------------------------------------------------|-----------|-------|---|
| 2 | Derive the solution of equation of motion for the beam subjected to uniformly | [L3][CO5] | [12M] | I |
| | distributed load. | | | |
| 3 | Derive the natural frequency and mode shapes for uniform beam having both end | [L3][CO5] | [12M] | l |
| | simply supported. | | | |
| 4 | Derive the natural frequency and mode shapes for uniform beam having both end | [L3][CO5] | [12M] | ſ |
| | free. | | | |
| 5 | Derive the natural frequency and mode shapes for uniform beam having one end fixed | [L3][CO5] | [12M] | Ī |
| | other end free. | | | |
| 6 | Derive the natural frequency and mode shapes for uniform beam having one end | [L3][CO5] | [12M] | I |
| | fixed other end simply supported. | | | |
| 7 | Derive the natural frequency for uniform beam having both end fixed. | [L3][CO5] | [12M] | Γ |
| 8 | Draw the mode shapes for uniform beam having both end fixed. | [L1][CO5] | [12M] | Γ |
| 9 | Draw the mode shapes for uniform beam having one end is fixed other end is simply | [L1][CO5] | [12M] | Ī |
| | supported. | | | |
| 10 | Draw the mode shapes for uniform beam having one end fixed other end free. | [L1][CO5] | [12M] | Ī |



UNIT –V PRACTICAL VIBRATION ANALYSIS

| 1 | Explain step by step procedure of Stodola's method? Derive fundamental natural frequencies and mode shapes? | [L2][CO6] | [12M] |
|---|-------------------------------------------------------------------------------------------------------------|------------|---------|
| 2 | Find the fundamental natural frequencies and mode shapes of a vibratory system | [L2][CO6] | [12M] |
| | shown in figure. | | |
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| 3 | For the given system, find the lowest natural frequency by Stodola's method. | [L2][CO6] | [12M] |
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| 4 | Find the fundamental frequencies and mode shapes of a vibratory system shown in figure | [L2][C06] | [12M] |
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|------|-------------------------------------------------------------------------------------------------------------------|-----------|-------|
| 5 | Explain step by step procedure of Holzer method? Derive fundamental natural frequencies and mode shapes? | [L2][CO6] | [12M] |
| 6 | For the system shown in figure, obtain natural frequencies using Holzer's method? | [L3][CO6] | [12M] |
| | $ \begin{array}{c ccccccccccccccccccccccccccccccccccc$ | | |
| 7 | Calculate approximate natural frequency of a system by using Holzer's method? | [L3][CO6] | [12M] |
| | $\begin{array}{c c} 3K & 2K & K \\ \hline \\ \hline \\ M & 2M \\ \hline \\ 3M \end{array}$ | | |
| 8 | Explain step by step procedure of Transfer matrix method? Derive fundamental natural frequencies and mode shapes? | [L2][CO6] | [12M] |
| 9 | Find the fundamental natural frequencies and mode shapes of a vibratory system | [L1][CO6] | [12M] |
| | shown in figure by using Transfer matrix method. W X X D D D D D D D D | | |
| 10 | Calculate approximate natural frequency of a system by using Transfer matrix method? | [L3][CO6] | [12M] |
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Prepared by: Ms. C. Sailaja

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